District Public School & College, Depalpur

Summer Task / Homework Assignment

Session : 2020-21

Class : 7th

Subject : Mathematics



Student's Name : _____

Section : _____



Q # 1 : From where corona virus has came?

Q # 2 : How COVID-19 spreads from person to person?

Q # 3 : How we can reduce the risk of COVID-19 ?

Date : <u>18-june-2020</u>

Day: Thursday

Unit #1

Sets

• Introduction of set and its form

• Web Link<u>https://youtu.be/No1diVESHTI</u>

Q # 1 : Define set with atleast five examples.

Ans :

Q # 2 : Write thefollowing sets in Tabular form.

A = {*a, e, i, o, u*}

 $C = \{3, 6, 9, \dots, 99\}$

M = {football, hockey, cricket}

N = {1, 2, 3, 4, ...}

Q # 3 : Write thefollowing sets in Descriptive form.

N = set of natural numbers

Z = set of integers

P = set of prime numbers

W = set of whole numbers

Date : <u>19-june-2020</u>

Day: <u>Friday</u>

Exercise # 1.1

• Web Link https://youtu.be/0jizAekSw0k

Q # 1 :Write the following sets in descriptive form.

Example :N = {1,2,3,4,...}

Sol:

N = Set of natural numbers

Sol:

Sol:

Q # 2 >Write the following sets in tabular form.

Example : V = Set of vowels

Sol:

 $V = \{a,e,i,o,u\}$

(i) A = Letters of the word "hockey"

Sol:

(ii) B = Two colours in the rainbow

Sol:

Date : <u>20-june-2020</u>

Day: <u>Saturday</u>

Exercise # 1.2

Web link <u>https://youtu.be/eA1meAeU6FM</u>

Example Union : If A = {a, e, i, o} and B = {a, b, c}, then find AUB

Solution:

A = {a, e, i, o}, B = {a, b, c}

AUB = {a, e, i, o} U {a, b, c}

= {a, e, i, o, a, b, c}

Example Intersection : If A = {a, e, i, o, u} and B= {a, b, c, d, e}, then find $A \cap B$ Solution:

A = {a, e. i, o, u}, B = {a, b, c, d, e} A \cap B = {a, e, i, o, u} \cap {a, b, c, d, e}

= {a, e}

Q # 3 : If P = set of Prime numbers and C = set of Composite numbers, then find P U C and P \cap C

Q # 6. If X = {1, 2, 3,, 10}, Y = {2, 4, 6, 8, 12} and Z = {2, 3, 5, 7, 11}, then find: X U (Y U Z)

Date : <u>22-june-2020</u>

Day: Monday

Exercise # 1.2

• Web link https://youtu.be/GSgBanNcWug

Example Difference of sets : If A = {1, 3, 6} and B = {1, 2, 3, 4, 5}, then find: (i) A - B (ii) B - A Solution: A = {1, 3, 6}, B = {1, 2, 3, 4, 5} (i) A - B = {1, 3, 6} - {1, 2, 3, 4, 5} = {6} (ii) B - A = {1, 2, 3, 4, 5} - {1, 3, 6} = {2, 4, 5} 7. If R = {0, 1, 2, 3}, S = [0, 2, 4) and T = {1, 2, 3, 4}, then find:

(i) R \ S

(ii) T \ S

(iii) R \ T

Date : <u>23-june-2020</u>

Day: Tuesday

Exercise # 1.3

• Web link https://youtu.be/hfF16-UvSMI

• Disjoint Sets

Two sets A and B are said to be disjoint sets, if there is no common element between them.

• Overlapping Sets

Two sets A and B are called overlapping sets, if there is at least one element common between them but none of them is a subset of the other .

Q # 1. Look at each pair of sets to separate the disjoint and overlapping sets.

(i)
$$A = \{a, b, c, d, e\}, B = \{d, e, f, g, h\}$$

(ii)
$$L = \{2, 4, 6, 8, 10\}, M = \{3, 6, 9, 12\}$$

(iii) P = Set of Prime numbers, C = Set of Composite numbers

(iv) E = Set of Even numbers, O = Set of Odd numbers

Date : 24-june-2020 Day: Wednesday

Exercise # 1.3

• Web link https://youtu.be/fvqbxO07_2Y

• Complement of a Set

Consider a set B whose universal set is U, then the difference set U \ B or U - B is called the complement of a set B, which is denoted by B' or Bc and read as "B complement". **Example :** If U = $\{1, 2, 3, ..., 10\}$ and B = $\{1, 3, 7, 9\}$, then find B'.

Solution:

U = {1, 2, 3, ...,10}, B = {1, 3, 7, 9} B' = U - B = {1, 2, 3, ..., 10} - {1, 3, 7, 9} = {2, 4, 5, 6, 8, 10}

Q # 2. If U = {1, 2, 3, ..., 10}, A = {1, 2, 3, 4, 5}, B = {1, 3, 5,7, 9}, C = {2, 4, 6,8, 10} and D = 3, 4, 5, 6, 7}, then find: A'

Q # 4. If U= {1, 2, 3, ..., 20}, A= {1, 3, 5, ..., 19} and B = {2, 4, 6, ..., 20}, then prove that: B' = A

Date : <u>25-june-2020</u>

Day: Thursday

Exercise # 1.3

• Web link <u>https://youtu.be/fvqbxOO7_2Y</u>

• Complement of a Set

Consider a set B whose universal set is U, then the difference set U \ B or U - B is called the complement of a set B, which is denoted by B' or Bc and read as "B complement". **Example :** If U = {1, 2, 3, ..., 10} and B = {1, 3, 7, 9}, then find B'.

Solution:

 $U = \{1, 2, 3, ..., 10\}, B = \{1, 3, 7, 9\}$ B' = U - B = $\{1, 2, 3, ..., 10\} - \{1, 3, 7, 9\}$ = $\{2, 4, 5, 6, 8, 10\}$

Q # 5. If U = set of integers and W = set of whole numbers, then find the complement of set W.

Q # 6. If U = set of natural numbers and P = set of prime numbers, then find the complement of set P.

Date :<u>26-june-2020</u>

Day: Friday

Exercise # 1.4

- <u>Properties Involving operations on sets</u>
- <u>Web link https://youtu.be/fxWbmGNJ1Z4</u>

Example: If A = {1, 2, 3, 4, 5}, B = {1, 3, 5, 7} and C = {2, 4, 6, 8}, then verify that: A Uj (BU C) = (AU B)U C Solution: L.H.S = A j (B j C) = {1, 2, 3, 4, 5} U({1, 3, 5, 7} j {2, 4, 6, 8}) = {1, 2, 3, 4, 5} U{1, 2, 3, 4, 5, 6, 7, 8} = {1, 2, 3, 4, 5, 0, 7, 8} R.H.S = (A UB) UC = ({1, 2, 3, 4, 5} U{1, 3, 5, 7}) U{2, 4, 6, 8} = {1, 2, 3, 4, 5, 7} U{2, 4, 6, 8} = {1, 2, 3, 4, 5, 6, 7, 8} We see that L.H.S = R.H.S

Example : If A = {1, 2, 5, 8}, B = {2, 4, 6} and C = {2, 4, 5, 7}, then verify that: A k (B \cap C) = (A \cap B) \cap C

Solution:

A = {1, 2, 5, 8}, B = {2, 4, 6}, C = {2, 4, 5, 7} L.H.S = A \cap (B \cap C) = {1, 2, 5, 8} \cap ({2, 4, 6} \cap {2, 4, 5, 7}) = {1, 2, 5, 8} \cap {2, 4} = {2} R.H.S = (A \cap B) k C = ({1, 2, 5, 8} \cap {2, 4, 6}) \cap {2, 4, 5, 7} = {2} \cap {2, 4, 5, 7} = {2} It is verified that L.H.S = R.H.S

Date : <u>27-june-2020</u>

Day: <u>Saturday</u>

Exercise # 1.4

• Web Link <u>https://youtu.be/nw3_u9U8hu0</u>

Example 1 : If A= {1, 2, 3} and B = {2, 4, 6}, then verify that:

AUB = BUA. Solution: A U B = $\{1, 2, 3\}$ j $\{2, 4, 6\}$ = $\{1, 2, 3, 4, 6\}$ B U A = $\{2, 4, 6\}$ j $\{1, 2, 3\}$ = $\{1, 2, 3, 4, 6\}$ From the above, it is verified that: AUB = BUA

Example 2: If $a = \{a, b, c, d\}$ and $B = \{a, c, e, g\}$, then verify that A $\cap B = B \cap A$. Solution: A $\cap B = \{a, b, c, d\} \cap \{a, c, e, g\}$ = $\{a, c\}$ B $\cap A = \{a, c, e, g\} \cap \{a, b, c, d\}$ = $\{a, c\}$ From the above it is verified that A $\cap B = B \cap A$

Q # 1. If A= {a, e, i, o, u}, B = {a, b, c} and C = {a, c, e, g}, then verify that:

(ii) A U B = B U A

Date : 29-june-2020

Day: Monday

Exercise # 1.4

• Web link<u>https://youtu.be/-WcbfY3hUF4</u>

Example 1 : If A= {1, 2, 3} and B = {2, 4, 6}, then verify that:

AUB = BUA. Solution: A U B = $\{1, 2, 3\}$ j $\{2, 4, 6\}$ = $\{1, 2, 3, 4, 6\}$ B U A = $\{2, 4, 6\}$ j $\{1, 2, 3\}$ = $\{1, 2, 3, 4, 6\}$ From the above, it is verified that: AUB = BUA

Example 2: If $a = \{a, b, c, d\}$ and $B = \{a, c, e, g\}$, then verify that $A \cap B = B \cap A$. Solution: $A \cap B = \{a, b, c, d\} \cap \{a, c, e, g\}$ $= \{a, c\}$ $B \cap A = \{a, c, e, g\} \cap \{a, b, c, d\}$ $= \{a, c\}$ From the above it is verified that $A \cap B = B \cap A$

Q # 4. If $O = \{1, 3, 5, 7,\}$, $E = \{2, 4, 6, 8,\}$ and $N = \{1, 2, 3, 4, ...\}$, then verify that: (i) $O \cap (E \cap N) = (O \cap E) \cap N$ (ii) $O \cup (E \cup N) = (O \cup E) \cup N$

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Date : <u>30-june-2020</u>

Day: <u>Tuesday</u>

Exercise # 1.4

• Web link https://youtu.be/flNgYHB4aVY

Q # 5. If U = {a, b, c,,z}, S = {a, e, i, o, u} and T = {x, y, z}, then verify that: (i) S U f = S (ii) T \cap U = T

Q # 6. If A = {1, 7, 9, 11}, B = {1, 5, 9, 13}, and C = {2, 6, 9, 11}, then verify that: (i) A - B \neq B - A (ii) A - C \neq C - A

Date : <u>1-july-2020</u>

Day: Wednesday

Exercise # 1.4

• Web link https://youtu.be/8cVGuAagx7M

Q # 7. If U = {0, 1, 2,...,15}, L = {5, 7, 9,...,15}, and M = {6, 8, 10, 12, 14}, then verify the identity properties with respect to union an intersection of sets.

Date : <u>2-july-2020</u>

Day: Thursday

Unit # 1

Review Exercise

Q # 1: Tick (✓) the correct answer

i- To write an empty set, we use the symbol: (b) φ (c) ^ (d) \ (a) U ii- The complement of a set A can be written as: (a)B\A (b)A ' (c) n(A) (d) A iii- If A= $\{1,2\}$ and B= $\{a,b\}$, then A \cap B = (a) $\{1,2\}$ (b) $\{a,b\}$ (c) $\{1,2,a,b\}$ (d) $\{\}$ iv- If A= {1,3} and B= {1,2,3},then A U B =_____ (a) $\{1,2,3\}$ (b) $\{1\}$ (c) $\{\}$ (d) $\{1,3\}$ v- "B difference A" is represented by : (a) A-B (b) A B (c) $B \setminus A$ (d) $A \cup B$ vi- A' U A = -----(a) U (b) φ (c) A (d) A'

Q # 2 : Fill in the blanks.

(i) The symbol " ^ " means _____.

- (ii) The set consisting of only common elements of two sets is called the _____ of two sets.
- (iv) A set which contains all the possible elements of the sets under consideration is called the _____ set.
- (v) Two sets are called ______ if there is at least one element common between them and non of the sets is subset of the other.
- (vi) In sets, the universal set acts as _____ for intersection.

Definitions

<u>Set:</u>

" A set is a collection of well defined objects/numbers. The objects/numbers in any set are called its members or elements"

Examples of a set:

A = The set of counting numbers.B = The set of Pakistani Provinces.C = The set of geometrical instruments

Proper subset :

If set A is subset of set B and set B is not subset of A , then set A is called proper subset of set B .

Improper subset :

If two sets are equal , then they are improper subsets of each other.

Finite - Infinite set :

A set having a finite number of elements is called a finite set and a set having unlimited number of elements is called an infinite set .

singleton set : A set having a single element is called a singleton set .

<u>Empty set</u>: A set having no element is called empty set.

Write and Learn tables from 6 to 20.

Date : 3-july-2020

Day: <u>Friday</u>

Unit 2

Rational Numbers

- Introduction to Rational Numbers
- Web link <u>https://youtu.be/aYiX5rxBmOE</u>

Q # 1 : Define Rational numbers and give atleast 5 examples.

Ans:

Q # 2 : What is a number line.

Ans:_____

Q #3: Draw a number line and represent the rational number $-\frac{10}{3}$.

Date : <u>4-july-2020</u>

Day: <u>Saturday</u>

Exercise # 2.1



(i) $-\frac{5}{2}$

(ii) $\frac{2}{3}$