## District Public School \& College,Depalpur

## Summer Task / Homework Assignment

## Session : 2020-21

Class : $7^{\text {th }}$


Student's Name : $\qquad$
Section : $\qquad$


Q \# 1 : From where corona virus has came?

Q \# 2 : How COVID-19 spreads from person to person?

Q \# 3 : How we can reduce the risk of COVID-19 ?

Unit \# 1

Sets

- Introduction of set and its form
- Web Linkhttps://youtu.be/No1diVESHTI

Q \# 1 : Define set with atleast five examples.
Ans :
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
Q \# 2 : Write thefollowing sets in Tabular form.
$A=\{a, e, i, o, u\}$
$C=\{3,6,9, \ldots, 99\}$
$\mathrm{M}=\{$ football, hockey , cricket $\}$
$N=\{1,2,3,4, \ldots\}$

Q \# 3 : Write thefollowing sets in Descriptive form.
$\mathrm{N}=$ set of natural numbers
Z = set of integers
$\mathrm{P}=$ set of prime numbers
$\mathrm{W}=$ set of whole numbers

## Learn and Write Table of 6

## Exercise \# 1.1

- Web Link https://youtu.be/OjizAekSwOk

Q \# 1 :Write the following sets in descriptive form.
Example : $\mathrm{N}=\{1,2,3,4, \ldots\}$
Sol:

$$
N=\text { Set of natural numbers }
$$

(i) $\mathrm{A}=\{a, e, i, o, u\}$
(ii) $B=\{3,6,9,12, \ldots\}$

Sol: Sol:

Q \# 2 > Write the following sets in tabular form.
Example : V = Set of vowels
Sol:

$$
V=\{a, e, i, o, u\}
$$

(i) A = Letters of the word "hockey"

Sol:
(ii) $\mathrm{B}=$ Two colours in the rainbow

Sol:

Learn and Write Table of 7

## Exercise \# 1.2

- Web link https://youtu.be/eA1meAeU6FM

Example Union: If $A=\{a, e, i, o\}$ and $B=\{a, b, c\}$, then find $A \cup B$
Solution:
$A=\{a, e, i, o\}, B=\{a, b, c\}$
$A \cup B=\{a, e, i, o\} \cup\{a, b, c\}$
$=\{a, e, i, o, a, b, c\}$
Example Intersection: If $A=\{a, e, i, o, u\}$ and $B=\{a, b, c, d, e\}$, then find $A \cap B$ Solution:
$A=\{a, e . i, o, u\}, B=\{a, b, c, d, e\}$
$A \cap B=\{a, e, i, o, u\} \cap\{a, b, c, d, e\}$
$=\{a, e\}$
Q \# 3 : If $P=$ set of Prime numbers and $C=$ set of Composite numbers, then find $P \cup C$ and $P \cap C$

Q \# 6. If $X=\{1,2,3, \ldots . ., 10\}, Y=\{2,4,6,8,12\}$ and $Z=\{2,3,5,7,11\}$, then find: $X \cup(Y \cup Z)$

Learn and Write Table of 8

## Exercise \# 1.2

- Web link https://youtu.be/GSgBanNcWug

Example Difference of sets: If $A=\{1,3,6\}$ and $B=\{1,2,3,4,5\}$, then find:
(i) A - B
(ii) B - A

Solution:
$A=\{1,3,6\}, B=\{1,2,3,4,5\}$
(i) $\mathrm{A}-\mathrm{B}=\{1,3,6\}-\{1,2,3,4,5\}$
$=\{6\}$
(ii) $\mathrm{B}-\mathrm{A}=\{1,2,3,4,5\}-\{1,3,6\}$
$=\{2,4,5\}$
7. If $R=\{0,1,2,3\}, S=[0,2,4)$ and $T=\{1,2,3,4\}$, then find:
(i) $R \backslash S$
(ii) $\mathrm{T} \backslash \mathrm{S}$
(iii) $R \backslash T$

## Learn and Write Table of 9

Date : $\underline{23-j u n e-2020}$
Day: Tuesday

## Exercise \# 1.3

- Web link https://youtu.be/hfF16-UvSMI


## - Disjoint Sets

Two sets $A$ and $B$ are said to be disjoint sets, if there is no common element between them.

## - Overlapping Sets

Two sets $A$ and $B$ are called overlapping sets, if there is at least one element common between them but none of them is a subset of the other .

Q \# 1. Look at each pair of sets to separate the disjoint and overlapping sets.
(i)

$$
A=\{a, b, c, d, e\}, B=\{d, e, f, g, h\}
$$

(ii)

$$
L=\{2,4,6,8,10\}, M=\{3,6,9,12\}
$$

(iii) $\quad \mathbf{P}=$ Set of Prime numbers, $\mathbf{C}=$ Set of Composite numbers
(iv) $E=$ Set of Even numbers, $\mathbf{O}=$ Set of $O d d$ numbers Learn and Write Table of 10

Date: $\underline{24-j u n e-2020}$
Day: Wednesday

## Exercise \# 1.3

- Web link https://youtu.be/fvgbx007_2Y
- Complement of a Set

Consider a set $B$ whose universal set is $U$, then the difference set $U \backslash B$ or $U-B$ is called the complement of a set $B$, which is denoted by $B$ ' or $B c$ and read as " $B$ complement".
Example: If $U=\{1,2,3, \ldots, 10\}$ and $B=\{1,3,7,9\}$, then find $B^{\prime}$.
Solution:
$U=\{1,2,3, \ldots, 10\}, B=\{1,3,7,9\}$
$B^{\prime}=U-B$
$=\{1,2,3, \ldots, 10\}-\{1,3,7,9\}$
$=\{2,4,5,6,8,10\}$
Q \# 2. If $U=\{1,2,3, \ldots, 10\}, A=\{1,2,3,4,5\}, B=\{1,3,5,7,9\}, C=\{2,4,6,8,10\}$ and $D=$ $3,4,5,6,7\}$, then find: $A^{\prime}$

Q \# 4. If $U=\{1,2,3, \ldots, 20\}, A=\{1,3,5, \ldots, 19\}$ and $B=\{2,4,6, \ldots, 20\}$, thenprove that: $B^{\prime}=A$

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## Exercise \# 1.3

- Web link https://youtu.be/fvqbx007_2Y
- Complement of a Set

Consider a set $B$ whose universal set is $U$, then the difference set $U \backslash B$ or $U-B$ is called the complement of a set $B$, which is denoted by $B$ ' or $B c$ and read as " $B$ complement".
Example : If $U=\{1,2,3, \ldots, 10\}$ and $B=\{1,3,7,9\}$, then find $B^{\prime}$.
Solution:
$U=\{1,2,3, \ldots, 10\}, B=\{1,3,7,9\}$
$B^{\prime}=U-B$
$=\{1,2,3, \ldots, 10\}-\{1,3,7,9\}$
$=\{2,4,5,6,8,10\}$

Q \# 5. If $U=$ set of integers and $W=$ set of whole numbers, then find the complement of set W.

Q \# 6. If $U=$ set of natural numbers and $P=$ set of prime numbers, then find the complement of set $P$.

Learn and Write Table of 12

Exercise \# 1.4

- Properties Involving operations on sets
- Web link https://youtu.be/fxWbmGNJ1Z4

Example: If $A=\{1,2,3,4,5\}, B=\{1,3,5,7\}$ and $C=\{2,4,6,8\}$, then verify that: $A \cup j(B \cup C)=(A U B) \cup C$
Solution:
L.H.S = A j (B j C)
$=\{1,2,3,4,5\} \cup(\{1,3,5,7\} j\{2,4,6,8\})$
$=\{1,2,3,4,5\} \cup\{1,2,3,4,5,6,7,8\}$
$=\{1,2,3,4,5,6,7,8\}$
R.H.S = (A UB) UC
$=(\{1,2,3,4,5\} \cup\{1,3,5,7\}) \cup\{2,4,6,8\}$
$=\{1,2,3,4,5,7\} \cup\{2,4,6,8\}$
$=\{1,2,3,4,5,6,7,8\}$
We see that L.H.S $=$ R.H.S
Example : If $A=\{1,2,5,8\}, B=\{2,4,6\}$ and $C=\{2,4,5,7\}$, then verify that: $A k(B \cap C)=(A \cap B) \cap C$

## Solution:

$A=\{1,2,5,8\}, B=\{2,4,6\}, C=\{2,4,5,7\}$
L.H.S = A $\cap(B \cap C)$
$=\{1,2,5,8\} \cap(\{2,4,6\} \cap\{2,4,5,7\})$
$=\{1,2,5,8\} \cap\{2,4\}=\{2\}$
R.H.S $=(A \cap B) k C$
$=(\{1,2,5,8\} \cap\{2,4,6\}) \cap\{2,4,5,7\}$
$=\{2\} \cap\{2,4,5,7\}=\{2\}$
It is verified that L.H.S = R.H.S

## Learn and Write Table of 13

## Exercise \# 1.4

- Web Link https://youtu.be/nw3 u9U8hu0

Example 1 : If $A=\{1,2,3\}$ and $B=\{2,4,6\}$, then verify that:
$A U B=B U A$.
Solution:
$A \cup B=\{1,2,3\} j\{2,4,6\}$
$=\{1,2,3,4,6\}$
$B \cup A=\{2,4,6\} j\{1,2,3\}$
$=\{1,2,3,4,6\}$
From the above, it is verified that:
$A \cup B=B U A$
Example 2: If $a=\{a, b, c, d\}$ and $B=\{a, c, e, g\}$, then verify that
$A \cap B=B \cap A$.
Solution:
$A \cap B=\{a, b, c, d\} \cap\{a, c, e, g\}$
$=\{a, c\}$
$B \cap A=\{a, c, e, g\} \cap\{a, b, c, d\}$
$=\{\mathrm{a}, \mathrm{c}\}$
From the above it is verified that $A \cap B=B \cap A$
$Q \#$ 1. If $A=\{a, e, i, o, u\}, B=\{a, b, c\}$ and $C=\{a, c, e, g\}$, then verify that:
(i) $A \cap B=B \cap A$
(ii) $\mathrm{A} \cup \mathrm{B}=\mathrm{B} \cup \mathrm{A}$

## Learn and Write Table of 14

## Exercise \# 1.4

- Web linkhttps://youtu.be/-WcbfY3hUF4

Example 1 : If $A=\{1,2,3\}$ and $B=\{2,4,6\}$, then verify that:
$A \cup B=B U A$.
Solution:
$A \cup B=\{1,2,3\} j\{2,4,6\}$
$=\{1,2,3,4,6\}$
$B \cup A=\{2,4,6\} j\{1,2,3\}$
$=\{1,2,3,4,6\}$
From the above, it is verified that:

$$
A \cup B=B \cup A
$$

Example 2: If $a=\{a, b, c, d\}$ and $B=\{a, c, e, g\}$, then verify that
$A \cap B=B \cap A$.
Solution:
$A \cap B=\{a, b, c, d\} \cap\{a, c, e, g\}$
$=\{a, c\}$
$B \cap A=\{a, c, e, g\} \cap\{a, b, c, d\}$
$=\{a, c\}$
From the above it is verified that $A \cap B=B \cap A$
Q \# 4. If $O=\{1,3,5,7 \ldots .\},. E=\{2,4,6,8 \ldots \ldots$.$\} and N=\{1,2,3,4 \ldots$.$\} , thenverify that:$
(i) $\mathbf{O} \cap(E \cap \mathbf{N})=(\mathbf{O} \cap E) \cap \mathbf{N}$
(ii) $\mathbf{O} \mathbf{U ( E ~ U N})=(0$ UE)UN

## Learn and Write Table of 15

## Exercise \# 1.4

- Web link https://youtu.be/fiNgYHB4aVY

Q\# 5. If $U=\{a, b, c, \ldots ., z\}, S=\{a, e, i, o, u\}$ and $T=\{x, y, z\}$, then verify that:
(i) $\mathrm{S} U \mathrm{f}=\mathrm{S}$
(ii) $\mathbf{T} \cap \mathbf{U}=\mathbf{T}$

Q \# 6. If $A=\{1,7,9,11\}, B=\{1,5,9,13\}$, and $C=\{2,6,9,11\}$, then verifythat:
(i) $A-B \neq B-A$
(ii) $\mathrm{A}-\mathrm{C} \neq \mathrm{C}-\mathrm{A}$

## Learn and Write Table of 16

## Exercise \# 1.4

- Web link https://youtu.be/8cVGuAagx7M

Q \# 7. If $U=\{0,1,2, \ldots, 15\}, L=\{5,7,9, \ldots .15\}$, and $M=\{6,8,10,12,14\}$, then verify the identity properties with respect to union an intersection of sets.

## Learn and Write Table of 17

## Unit \# 1

## Review Exercise

## Q \# 1: Tick ( $\checkmark$ ) the correct answer

i- To write an empty set, we use the symbol:
(a) U
(b) $\phi$
(c) $\wedge$
(d) \}
ii- The complement of a set $A$ can be written as:
(a) $B \backslash A$
(b) $A^{\prime}$
(c) $n(A)$
(d) A
iii- If $A=\{1,2\}$ and $B=\{a, b\}$, then $A \cap B=$ $\qquad$
(a) $\{1,2\}$
(b) $\{a, b\}$
(c) $\{1,2, a, b\}$
(d) $\}$
iv- If $A=\{1,3\}$ and $B=\{1,2,3\}$, then $A \cup B=$ $\qquad$
(a) $\{1,2,3\}$
(b) $\{1\}$
(c) $\}$ (d) $\{1,3\}$
$v$ - "B difference $A$ " is represented by :
(a) $A-B$
(b) $A \quad B$
(c) $\mathrm{B} \backslash \mathrm{A}$
(d) $A \cup B$
vi- $A^{\prime} \cup A=$ $\qquad$
(a) U
(b) $\phi$
(c) A
(d) $\mathrm{A}^{\prime}$

Q \# 2 : Fill in the blanks.
(i) The symbol " $\wedge$ " means $\qquad$ .
(ii) The set consisting of only common elements of two sets is called the $\qquad$ of two sets.
(iv) A set which contains all the possible elements of the sets under consideration is called the $\qquad$ set.
(v) Two sets are called $\qquad$ if there is at least one element common between them and non of the sets is subset of the other.
(vi) In sets, the universal set acts as $\qquad$ for intersection.

## Definitions

## Set:

" A set is a collection of well defined objects/numbers. The objects/numbers in any set are called its members or elements"

## Examples of a set:

$A=$ The set of counting numbers.
$B=$ The set of Pakistani Provinces.
$C=$ The set of geometrical instruments

## Proper subset :

If set $A$ is subset of set $B$ and set $B$ is not subset of $A$, then set $A$ is called proper subset of set $B$.

Improper subset :
If two sets are equal, then they are improper subsets of each other.

## Finite - Infinite set :

A set having a finite numberof elements is called a finite set and a set having unlimited number of elements is called an infinite set .
singleton set :A set having a single element is called a singleton set .
Empty set : A set having no element is called empty set.
Write and Learn tables from 6 to 20.

## Learn and Write Table of 18

## Unit 2

## Rational Numbers

- Introduction to Rational Numbers
- Web link https://youtu.be/aYiX5rxBmOE

Q \# 1 : Define Rational numbers and give atleast 5 examples.
Ans: $\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$

Q \# 2 : What is a number line.
Ans: $\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$

Q\#3 : Draw a number line and represent the rational number $-\frac{10}{3}$.

Learn and Write Table of 19

## Exercise \# 2.1

- Web link https://youtu.be/3qR1yC45TR0

Example 1: Draw a number line and represent the rational number -10/3


## Solution:

Step 1: Draw a number line as given below.
Step 2: Convert -10/3to mixed fraction $-3 \frac{1}{3}$
Step 3: Divide the line segment of the number line between
-4 and -3 in three equal parts and start counting from the point -3
to -4 on the first part is $-3 \frac{1}{3}$ which is our required number.


1. Write " $T$ " for a true and " $F$ " for a false statement.
(i) Positive numbers are rational numbers.
(ii) " 0 " is not a rational number.
(iii) An integer is expressed in form.
(iv) Negative numbers are not rational numbers.
(v) In any rational number q can be zero.
2. Represent each rational number on the number line.
(i) $-\frac{5}{2}$
(ii) $\frac{2}{3}$

## Learn and Write Table of 20

